

The Focused Plenoptic Camera

"Lightfield photographers, focus your cameras!" Karl Marx

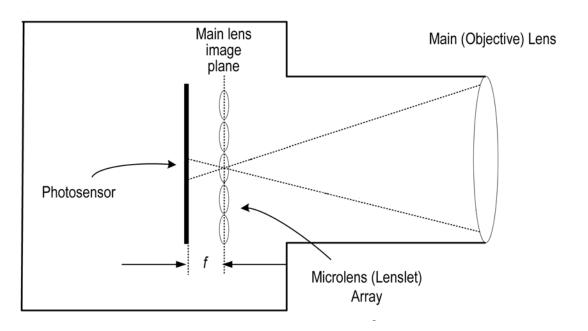




Plenoptic Camera, Adelson 1992

Main lens focused on microlenses

Conventional plenoptic camera



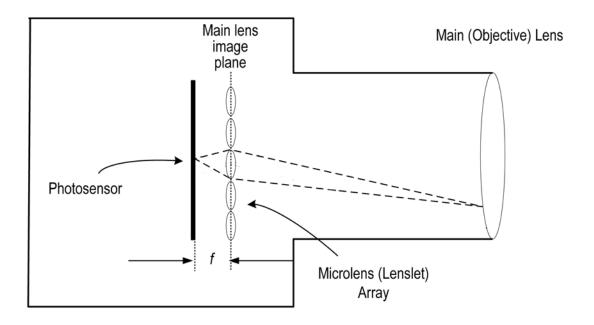




Plenoptic Camera, Adelson 1992

Microlenses focused on infinity

Conventional plenoptic camera

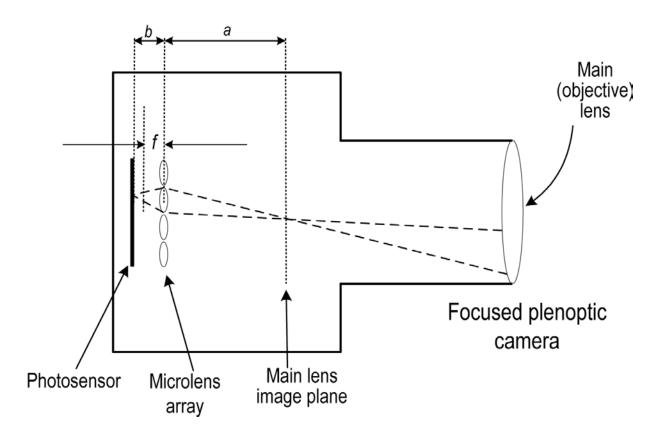






Focused Plenoptic Camera

Microlenses focused on main lens image





Comparison

Photosensor

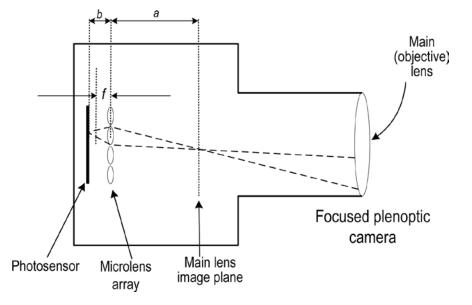
Plenoptic Camera (1.0)

Focused Plenoptic Camera (2.0)

Conventional plenoptic camera Main lens image plane Main (Objective) Lens

Microlens (Lenslet)

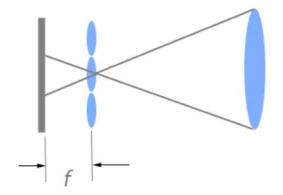
Array



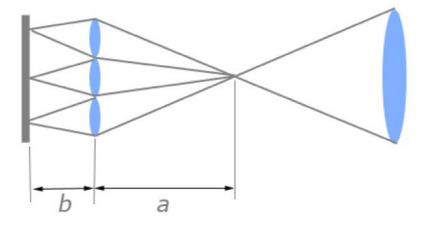


Comparison

Plenoptic Camera



Focused Plenoptic Camera

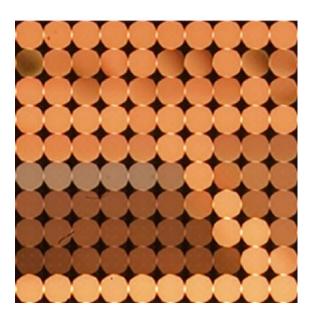


Microlenses focused at infinity. Completely defocused relative to main lens image. Microlenses satisfy the lens equation. Exactly focused on the main lens image.

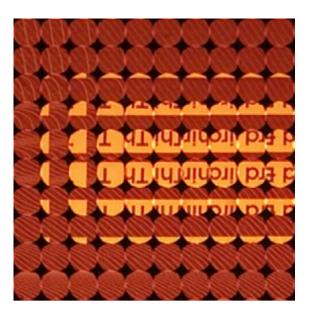


Comparison

Plenoptic CameraBlurry microimages



Focused Plenoptic Camera
 Sharp and inverted microimages



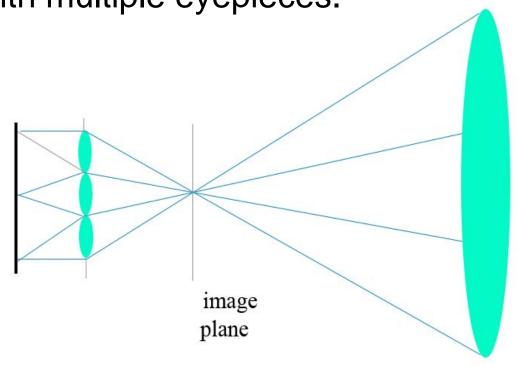




Why Inverted?

What is the condition for exact focusing with main lens image shifted from the plane of microlenses?

Answer: Simple relay imaging! This is like a telescope with multiple eyepieces.







Lightfield Rendering Small Part of Scene







Full Resolution Rendering: 500X Improvement!





Resolution Analysis

- Why do we have so much higher resolution in 2.0?
- Because the camera is focused:
 - The main lens creates radiance r(x) at its image plane.
 - Plenoptic 1.0 and 2.0 sample this radiance differently.
- ▶ For one microcamera, the optical transfer matrix is A.
- ▶ Radiance on the sensor: $r'(x) = r(A^{-1}x)$
- (continue)



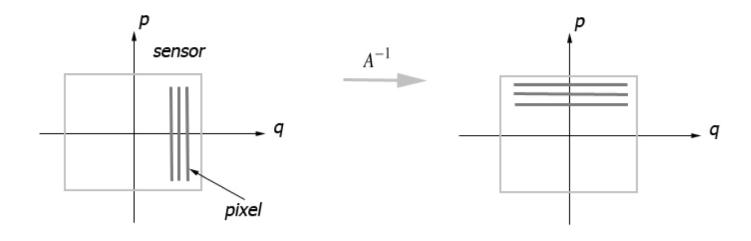


Resolution Analysis

For Plenoptic 1.0 the transfer matrix is:

$$A = \begin{bmatrix} 1 & f \\ 0 & 1 \end{bmatrix} \begin{bmatrix} 1 & 0 \\ -\frac{1}{f} & 1 \end{bmatrix} = \begin{bmatrix} 0 & f \\ -\frac{1}{f} & 1 \end{bmatrix}$$

Inverse matrix
$$A^{-1} = \begin{bmatrix} 1 & -f \\ \frac{1}{f} & 0 \end{bmatrix}$$





Resolution Analysis

- Rotation of each pixel to 90 degrees in optical phase space causes the low spatial resolution of 1.0 camera.
- For Plenoptic 2.0 the transfer matrix is:

$$A = \begin{bmatrix} 1 & b \\ 0 & 1 \end{bmatrix} \begin{bmatrix} 1 & 0 \\ -\frac{1}{f} & 1 \end{bmatrix} \begin{bmatrix} 1 & a \\ 0 & 1 \end{bmatrix} = \begin{bmatrix} -\frac{b}{a} & 0 \\ -\frac{1}{f} & -\frac{a}{b} \end{bmatrix}$$

Inverse matrix
$$A^{-1} = \begin{bmatrix} -\frac{a}{b} & 0 \\ \frac{1}{f} & -\frac{b}{a} \end{bmatrix}$$

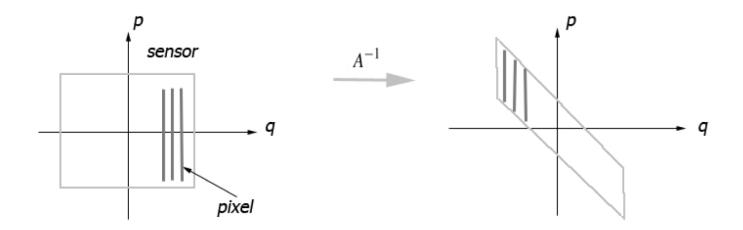




Resolution analysis

For Plenoptic 2.0 There is no rotation, just shear:

$$A^{-1} = \begin{bmatrix} -\frac{a}{b} & 0\\ \frac{1}{f} & -\frac{b}{a} \end{bmatrix}$$



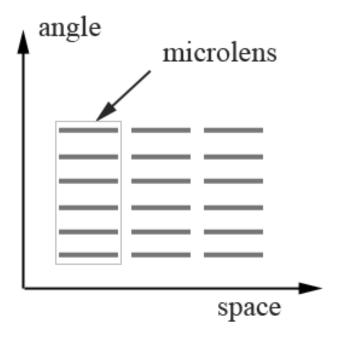
Pixels remain "vertical". b/a of the sensor resolution.



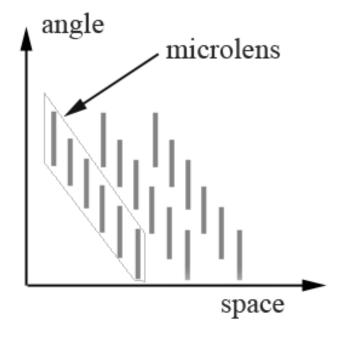


Resolution analysis

▶ Plenoptic 1.0



▶ Plenoptic 2.0

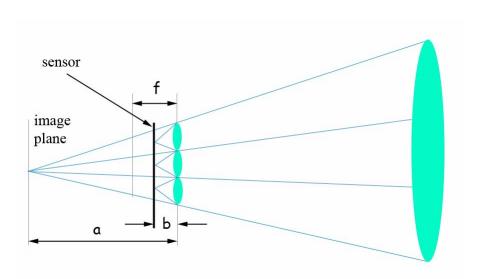


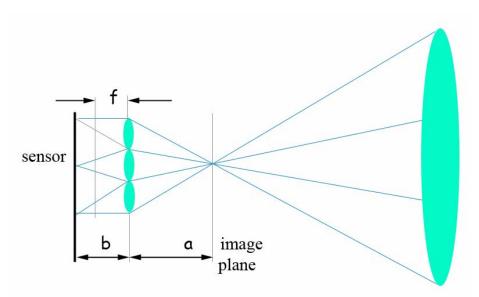




Two Ways of Focusing

- Galilean Telescopic Array
- Keplerian Telescopic Array



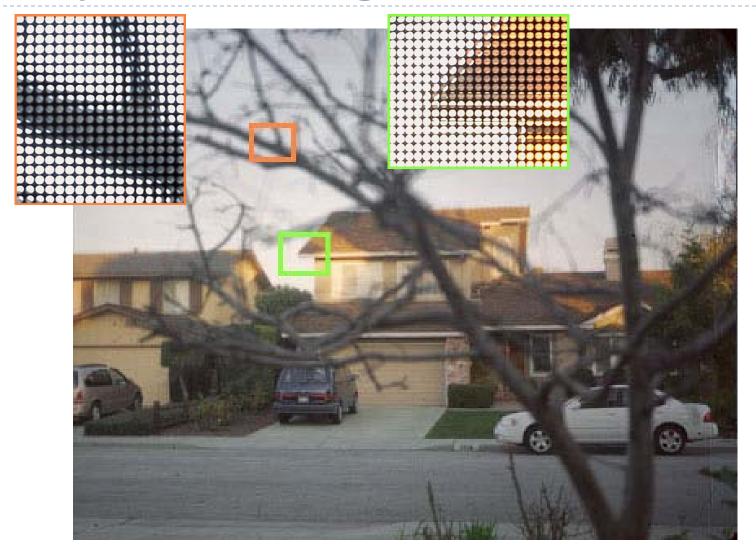


(Proposed by Galileo and Kepler 400 years ago)





Two Ways of Focusing

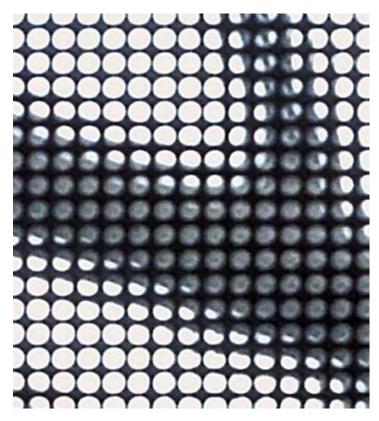




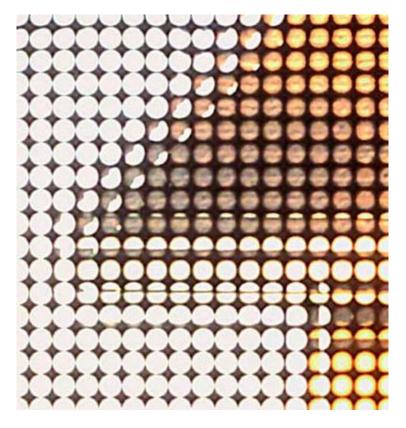


Two Ways of Focusing

Gaililean Imaging



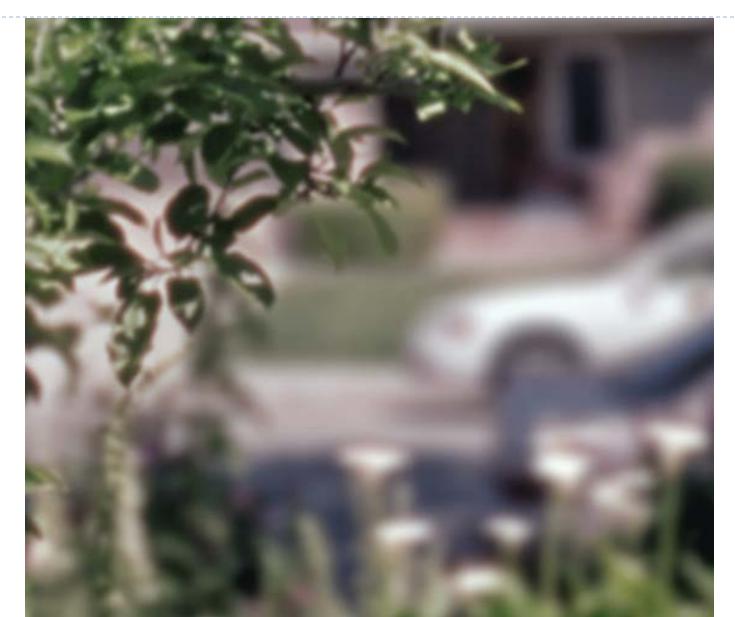
Keplerian Imaging







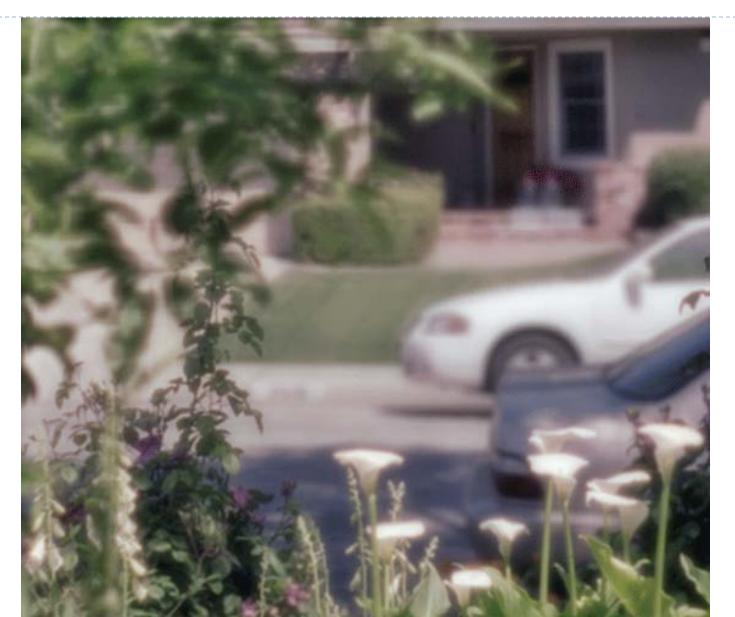
Plenoptic 2.0 Refocusing







Plenoptic 2.0 Refocusing







Plenoptic 2.0 Refocusing







Plenoptic 2.0 Resolution

- Plenoptic 2.0 sampling is more flexible:
 - Decouples resolution from number of microlenses.
 - Free to choose the spatial-angular tradeoff point.
- We can actually reach very low angular resolution not possible with traditional plenoptic camera (because edge effects would introduce noise).
 - Stereo 3D.
- Up to b/a of the sensor resolution can be achieved!
- This is up to 100%, i.e. full sensor resolution!





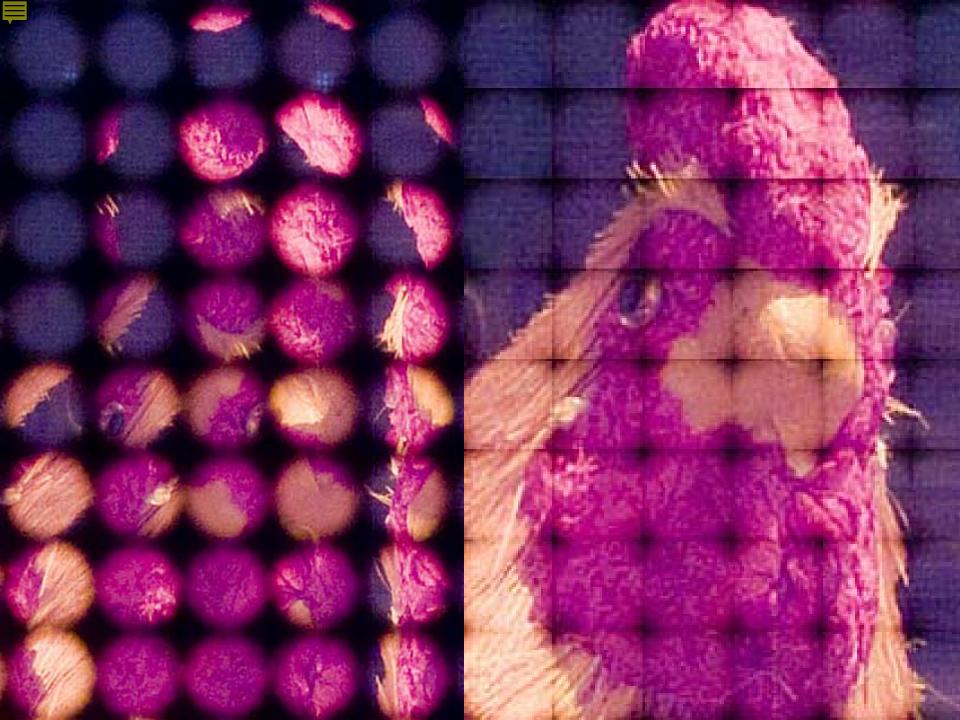
Full Sensor Resolution Plenoptic Camera

- Demonstrating image capture with a plenoptic camera and rendering at full sensor resolution:
- 39 megapixel capture
- 39 megapixel rendering









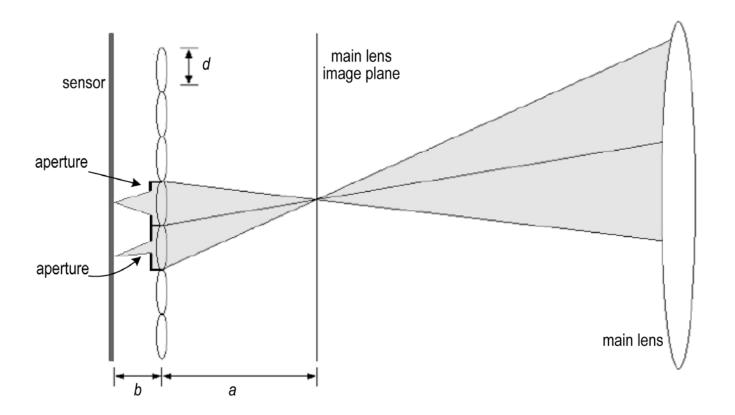


Plenoptic HDR Camera





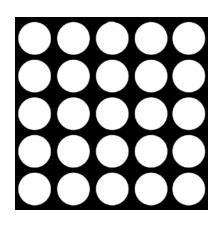
- Each point is seen multiple times in different microlenses
- We can put different apertures on different microlenses

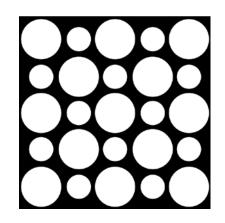


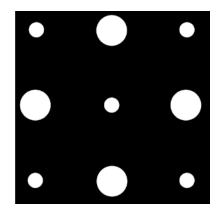


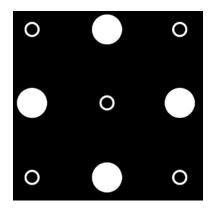


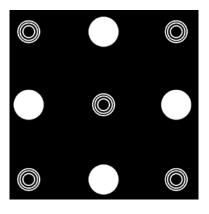
We can put different apertures on different microlenses









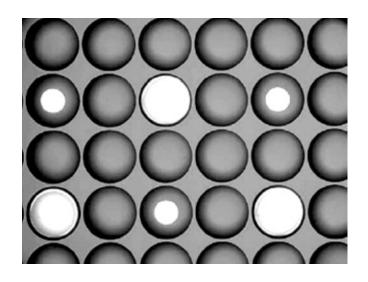


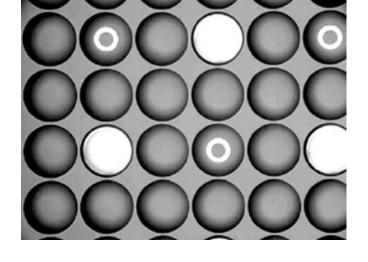
← Fresnel zones as aperture





Two of our microlens arrays under the microscope

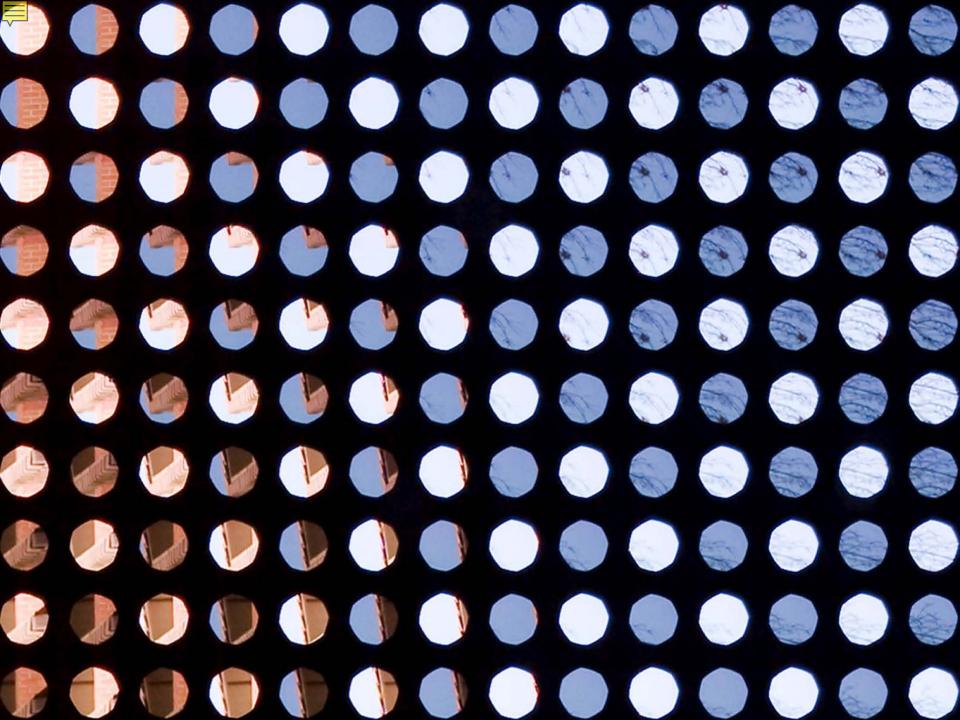




4 times reduction of aperture

8 times reduction of aperture



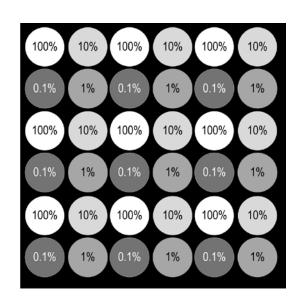


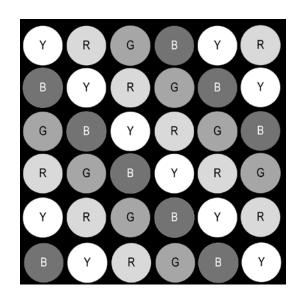


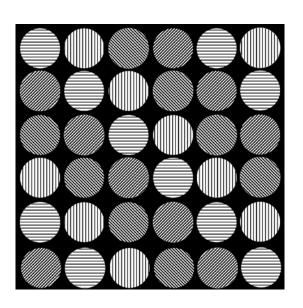




We can put different filters on different microlenses: Neutral density, color (for spectral imaging), polarization.







1000 X increase in dynamic range

12-color imaging with RGB sensor

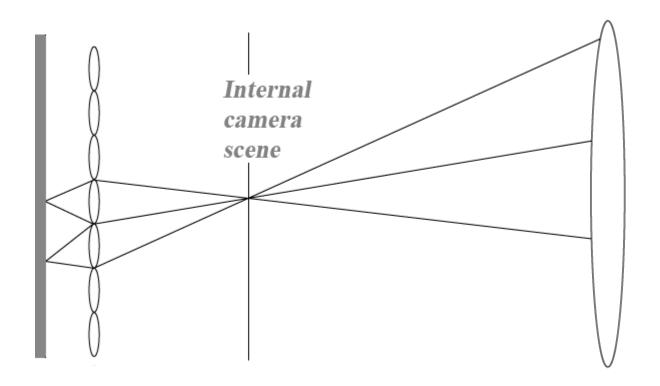
sampling four linear polarizations



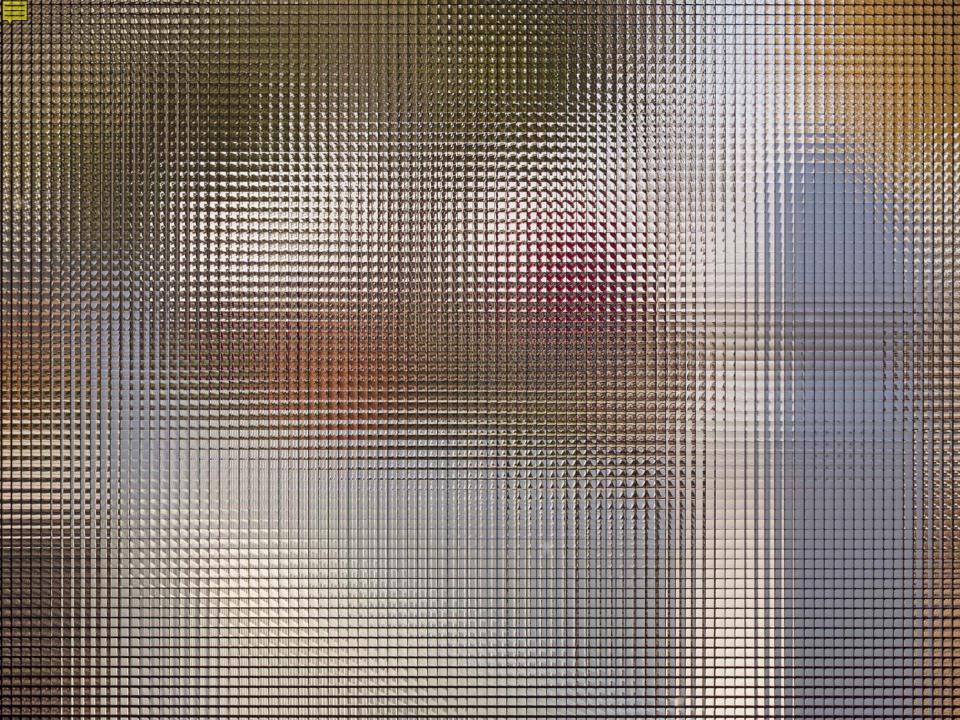
Plenoptic Superresolution Camera

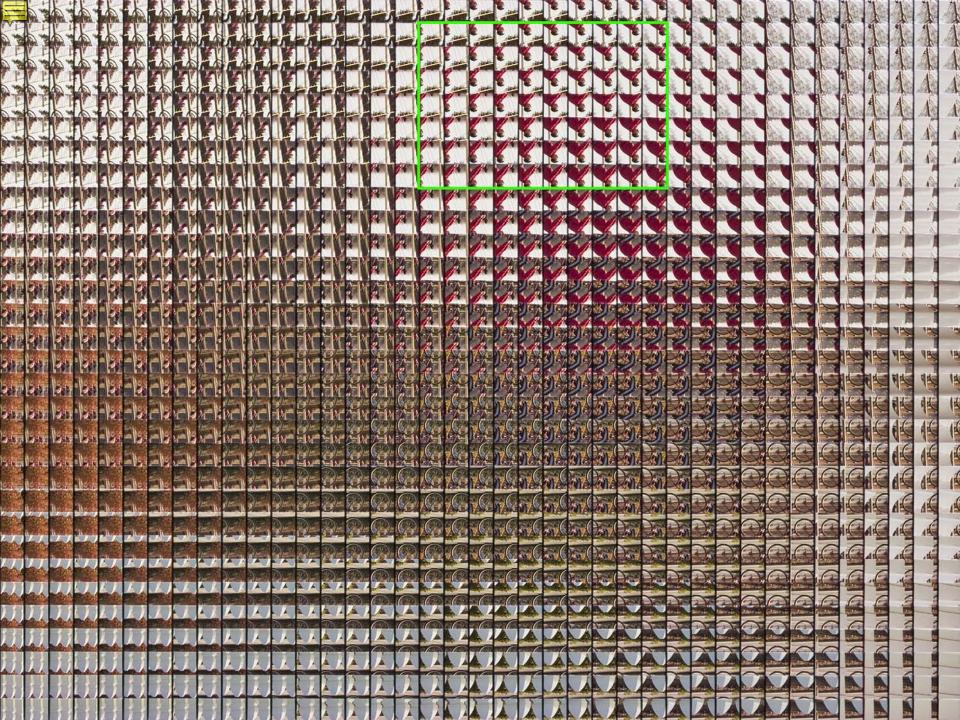


▶ Each microlens is observing the scene as a slightly shifted camera. We can compute the subpixel shift based on camera parameters. Then, superresolve.



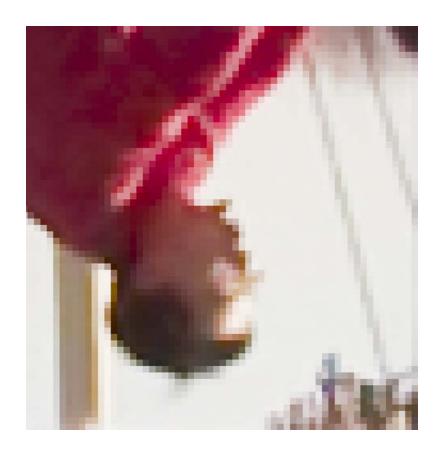








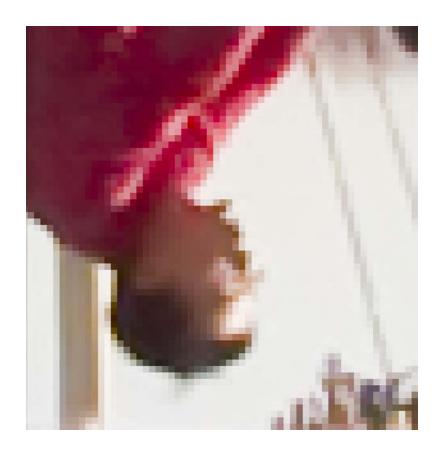




Observe the subpixel shift







Observe the subpixel shift









Compare same image with traditional lifgtfield rendering (plenoptic 1.0).







